

Digital (8-10 marks)

- ◆ Number Systems
- ◆ Boolean algebra.
- ◆ Logic gates.
- ◆ K-map
- ◆ Combinational ckts.
- ◆ Sequential ckt.
- ◆ A/D and D/A converters.
- ◆ Logic families

NUMBER SYSTEMS

$$\begin{array}{cccc} 10^3 & 10^2 & 10^1 & 10^0 \\ 6 & 4 & 8 & 9 \end{array}$$

Base (or) radix (r): The no. of different symbols.

used to rep. a no. is called base.

$$N(r) = \underbrace{d_n r^n + d_{n-1} r^{n-1} + d_{n-2} r^{n-2} + \dots + d_1 r^1 + d_0 r^0}_{\text{Integer}} \cdot \underbrace{d_{-1} r^{-1} + d_{-2} r^{-2} + \dots + d_{-m} r^{-m}}_{\text{Fraction}}$$

radix pt.

r^n — weight of the position or positional weight.

$d_n r^n$ — weighted value of digit in that position.

Decimal ($r=10$) (0, 1, 2, 3, 4, 5, 6, 7, 8, 9)

Binary ($r=2$) (0, 1)

Octal ($r=8$) (0, 1, 2, 3, 4, 5, 6, 7)

Hexadecimal ($r=16$) (0, 1, 2, 3, 4, 5, 6, 7, 8, 9, A, B, C, D, E, F)

In a s/m. the decimal equivalence are ~~varying~~ ranging from 0 to $r-1$ in base r .

$$r: 0 \rightarrow r-1$$

The base value is rep. ~~in~~ 10 with 10 in base r .

$$r: (10)_r$$

Notes:

Base (r) radix of number s/m

The no. of different symbol used to rep a no. in a number system is called base or radix of number s/m.

Number consisting of 2 parts: integer and fraction separated by radix pt.

$$(N)_r = \underbrace{d_n \overset{r^n}{d_{n-1}} \overset{r^{n-1}}{d_{n-2}} \dots d_1 \overset{r^1}{d_0}}_{\text{Integer}} \cdot \underbrace{d_{-1} \overset{r^{-1}}{d_{-2}} \dots d_{-m}}_{\text{Fraction}}$$

Radix point.

r^n - weight of the position or positional weight
 $d_n r^n$ - weighted value of digit in that position.

The decimal equivalence of the symbol ranging from 0 to $r-1$ in base r ~~radix~~ is.

In a no. s/m with base ' r ' the base ' r ' value ' r ' is rep. with 10 in base ' r '.

BASE CONVERSIONS

Decimal to any base.

To get integer part in the reqd base take successive divisions of decimal part integer part with the reqd base and accumulate remainders in the reverse order.

To get the fraction part in the reqd base take successive multiplication of decimal fraction part with the reqd base and accumulate integers in the original same order.

Find binary, octal, hexadecimal and base-4 equivalent also.

1. $(319.6875)_{10}$.

2	319	1
2	159	1
2	79	1
2	39	1
2	19	1
2	9	1
2	4	0
2	2	0
	1	

$$\begin{aligned} & \bullet 6875 \times 2 = 13750 \\ & \bullet 3750 \times 2 = 7500 \\ & \bullet 3750 \times 2 = 7500 \\ & \bullet 3750 \times 2 = 7500 \\ & \bullet 3750 \times 2 = 7500 \\ & \bullet 3750 \times 2 = 7500 \\ & \bullet 3750 \times 2 = 7500 \\ & \bullet 3750 \times 2 = 7500 \\ & \bullet 3750 \times 2 = 7500 \\ & \bullet 3750 \times 2 = 7500 \end{aligned}$$

Ans: $(10011111.1011)_2$